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# GCSE (9-1)

## Paper 3H (Calculator)

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Practice set A

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CM GCSE Practice Papers / Set A / Paper 3H (V1 FINAL)

Question		Working	Answer	Mark	Notes
1			diagram	2	C1 : draws a solid shape that matches the front elevation
					C1 : fully correct solid shape with all the correct dimensions for the <b>overall</b> length, width and height. Note: accept dimensions that are break the rectangular prism and the triangular prism but these are not necessary
2	(a)		0.5024192 862	1	B1 : cao
	(b/i)		0.50242	1	B1 FT : correct rounding ft their (a)
	(b/ii)		0.5	1	B1 FT : correct rounding ft their (a)
3		$x + 2(-9) = 10x$ $x - 18 = 10x$ $9x = -18$ $x = -2$	$x = -2$	3	M1 : substitutes $y = -9$ into the equation (no need for any evaluation)
					M1 : for $\pm 9x = \pm 18$
					A1 : obtains $x = -2$

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4	<p>e.g.</p> $€30 = £(30 \times 0.89) = £26.70$ $\$10 = £(10 \times 0.83 \times 0.89) = £7.39$ <p>So Jessie has £34.09 &lt; £35, so she does not have enough money to buy the dress</p>	No + reason	3	<p>P1 : attempts to convert <b>all</b> relevant prices into a common currency</p> <hr/> <p>A1 : one correct and relevant conversion</p> <hr/> <p>A1 : correctly calculates total amount of money Jessie has in a single currency and gives a statement, i.e. ‘no, Jessie does not have enough money to buy the dress’), ‘no, not enough money’, etc.</p> <hr/> <p>NB: Relevant conversions are:  <math>€30 = £26.70</math>, <math>€30 = \\$36.14</math>, <math>\\$10 = £7.39</math>, <math>\\$10 = €8.30</math>, <math>£35 = €39.33</math>, <math>£35 = \\$47.38</math></p>
5	(a)	$\frac{1}{6}$	1	B1 : cao
	(b)	$500 \text{ cm}^3$	3	<p>M1 : area of the sector = <math>16\pi</math></p> <hr/> <p>M1 : volume = <math>10 \times</math> ‘their area of sector’</p> <hr/> <p>A1 : correct volume</p>

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Question	Working	Answer	Mark	Notes
6	$90 - 45 = 45, 90 - 30 = 60$ $x = 180 - 45 - 60 = 75$	$x = 75 +$ reason	4	P1 : attempts to find a relevant angle ----- P1 : forms and attempts to solve an equation involving $x$ , i.e. $x + 60 + 45 = 180$ ----- A1 : correct value of $x$ ----- C1 : gives at least one correct angle law to support their working somewhere in their working, i.e. ‘angles in a triangle add to 180’, ‘the two non-right angles in a right angled triangle add to 90’, ‘angles on a straight line add to 180’, etc. ----- <b>Look for and credit working on the diagram</b>
7	1 unit of commission is $\frac{700}{7} = \text{£}100$ $\Rightarrow$ Abdul receives £400 in commission So Shivani receives £200 in commission $\therefore$ total commission = $700 + 400 + 200 + 300 = \text{£}1600$	£1600	4	P1 : for $\frac{700}{7}$ ----- A1 : Abdul receives £400 in commission ----- M1 : adds together their values for the commissions received by all the individuals OR does $100 \times (7+4+ \text{their '2'+}3)$ ----- A1 : £1600 with supported workings

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Question		Working	Answer	Mark	Notes																				
8	(a)		<i>O</i>	1	B1 : correct box unambiguously ticked. Ignore any ambiguous ticks and markings																				
	(b)		<i>O, B</i>	1	B1 : correct boxes unambiguously ticked. Ignore any ambiguous ticks and markings																				
9	(a)	<table border="1"> <thead> <tr> <th><math>x</math></th> <th><math>f</math></th> <th><math>xf</math></th> <th><math>x^2f</math></th> </tr> </thead> <tbody> <tr> <td>(2)</td> <td>(4)</td> <td>(8)</td> <td>(16)</td> </tr> <tr> <td>(7)</td> <td>(12)</td> <td>84</td> <td>686</td> </tr> <tr> <td>(11)</td> <td>(6)</td> <td>66</td> <td>726</td> </tr> <tr> <td>(14)</td> <td>(8)</td> <td>112</td> <td>1568</td> </tr> </tbody> </table>	$x$	$f$	$xf$	$x^2f$	(2)	(4)	(8)	(16)	(7)	(12)	84	686	(11)	(6)	66	726	(14)	(8)	112	1568	table	2	B1 : correct values added in $xf$ column B1 : correct values added in $x^2f$ column
	$x$	$f$	$xf$	$x^2f$																					
(2)	(4)	(8)	(16)																						
(7)	(12)	84	686																						
(11)	(6)	66	726																						
(14)	(8)	112	1568																						
(b)	$4 + 12 + 6 + 8 = 30$ $\frac{8 + 84 + 66 + 112}{30} = 9$	9	3	B1 : total frequency = 30, seen or implied M1 : correct expression for the mean A1 : correct mean = 9																					

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Question		Working	Answer	Mark	Notes
	(c)	$\frac{16 + 686 + 726 + 1568}{30} = 99.86\dots$	{awrt} 100	3	M1 : finds total value for $x^2f$ ----- M1 : computes $\frac{\text{their } x^2f}{\text{their } 30}$ ----- A1 : awrt 100, completely correct workings
	(d/i)		{awrt} 18.68	1	B1 : correct variance.
	(d/ii)		cm <sup>2</sup>	1	B1 : correct units
10	(a)		12	1	B1 : cao
	(b)		0	1	B1 : cao
	(c)		89	1	B1 : cao
	(d)		89	1	B1 ft : correct answer or ft their (c)

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11	$A^2 = \frac{k}{\sqrt[3]{B}}$ $2^2 = \frac{k}{\sqrt[3]{27}} \Rightarrow k = 4 \times 3 = 12$ $\therefore 4^2 = \frac{12}{\sqrt[3]{B}} \Rightarrow \sqrt[3]{B} = \frac{3}{4} \Rightarrow B = \frac{27}{64}$	$\frac{27}{64}$	4	<p>M1 : forms correct expression for <math>A</math> in terms of <math>B</math> and substitutes (2, 27) into the expression</p> <p>A1 : correct value of <math>k</math></p> <p>dM1 : substitutes <b>their</b> <math>k</math> into <b>their</b> expression along with <math>A = 4</math> and attempts to find <math>B</math></p> <p>A1 : correct value of <math>B</math></p>
12	(a)	geometric	1	B1 : cao
	(b)	$0 < r < 1$	1	B1 : unambiguous tick in the correct box. Ignore ambiguous ticks and markings
	(c)	Yes + reason	5	<p>P1 : forms the equation <math>2000 = 5400r^4</math></p> <p>A1 : correct value of <math>r</math></p> <p>P1 : substitutes 5 into the formula for <math>P</math> with their <math>r</math></p> <p>A1 : price of the car after 5 years is {awrt} £1560</p> <p>C1 : fully correct solution and gives a conclusive statement, i.e. 'yes, Edgar has made profit by selling his car'</p>

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Question	Working	Answer	Mark	Notes
13	$f(x+1) - f(x) = \frac{x+1}{2(x+1)+1} - \frac{x}{2x+1}$ $= \frac{(x+1)(2x+1) - x(2x+3)}{(2x+3)(2x+1)}$ $= \frac{2x^2 + 3x + 1 - 2x^2 - 3x}{(2x+3)(2x+1)}$ $= \frac{1}{(2x+3)(2x+1)}$	$\frac{1}{(2x+1)(2x+3)}$	5	<p>M1 : correct expression for <math>f(x+1)</math> seen anywhere</p> <hr/> <p>M1 : writes down <math>f(x+1) - f(x)</math> using their <math>f(x+1)</math> and attempts to combine the fractions using a common denominator</p> <hr/> <p>A1 : forms a correct expression for <math>f(x+1) - f(x)</math> as a single unsimplified fraction</p> <hr/> <p>M1 : expands the brackets on the numerator and collects like terms</p> <hr/> <p>A1 : correct expression obtained from completely correct workings. Condone brackets on denominator expanded (correctly). Ignore any subsequent working once the correct form given in the question has been reached</p>



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Question		Working	Answer	Mark	Notes
14	(a)		$c^2$	1	B1 : cao
	(b)	Outer square has area = $(a+b)^2$ Area of $T = \frac{1}{2}ab$ Area of the 4 triangles is thus $2ab$ So area of shaded region/square $ABCD =$ $(a+b)^2 - 2ab = a^2 + 2ab + b^2 - 2ab$ $= a^2 + b^2$ *	proof	4	M1 : area of the outer square = $(a+b)^2$ . May be implied
					M1 : area of the triangles is $2ab$ . May be implied
					M1 : considers their 'area of outer square – their area of the 4 triangles'. Must be an algebraic expression in terms of $a$ and $b$
					A1 : complete and convincing proof with no errors seen
	(c)		expln.	1	C1 : any correct explanation about what has been shown, i.e. 'Pythagoras' Theorem (has been proven)', ' $a^2 + b^2 = c^2$ ', 'sum of the squares of the shorter sides of a right-angled triangle is the square of the longer side', etc.

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Question	Working	Answer	Mark	Notes
15	<p>Method 1:</p> $\frac{10}{n} \times \frac{9}{n-1} = p$ $\Rightarrow 90 = pn(n-1)$ $\Rightarrow pn^2 - pn - 90 = 0$ $\Rightarrow n^2 - n - \frac{90}{p} = 0$ <p>So <math>\frac{90}{p} = 210 \Rightarrow p = \frac{3}{7}</math></p> <p>Method 2:</p> $n^2 - n - 210 = 0$ $\Rightarrow (n-15)(n+14) = 0$ $\Rightarrow n = 15$ $p = \frac{10}{15} \times \frac{9}{14} = \frac{3}{7}$	$p = \frac{3}{7}$	3	<p>P1 : for <math>\frac{10}{n} \times \frac{9}{n-1} = p</math> (oe) <b>OR</b> attempts to solve the quadratic equation, obtaining <math>n = 15</math> (ignore other solutions if given)</p> <hr/> <p>M1 : compares coefficients <b>OR</b> for <math>p = \frac{10}{'15'} \times \frac{9}{'15'-1}</math> using their <math>n</math></p> <hr/> <p>A1 : correct value of <math>p</math></p>

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Question		Working	Answer	Mark	Notes
16	(a/i)		(3,30)	1	B1 : cao
	(a/ii)		(7,10)	1	B1 : cao
	(a/iii)		$\left(\frac{1}{2}, 10\right)$	1	B1 : cao
	(b)		False False True	3	B1, B1, B1 : one mark for each correct. Answers should be clear and unambiguous. Ignore any unambiguous markings or ticks
17	(a)	$19^2 = 25^2 + 35^2 - 2(25)(35)\cos p$ $\Rightarrow 2(25)(35)\cos p = 25^2 + 35^2 - 19^2$ $\Rightarrow \cos p = \frac{25^2 + 35^2 - 19^2}{2(25)(35)} = 0.85085\dots$ $\Rightarrow p = \cos^{-1}(0.85085\dots) = 31.695\dots$	$p = 32$ (awrt)	4	M1 : uses the cosine rule with all values substituted in correctly ----- A1 : $\cos p = 0.85085\dots$ or equivalent, including unsimplified forms ----- dM1 : uses inverse cosine on their $\cos p$ to find $p$ ----- A1 : correct value of $p$ . Awrt 32

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Question	Working	Answer	Mark	Notes
	(b) $\text{Area} = \frac{1}{2}(25)(35)\sin(31.695\dots)$ $= 229.861\dots \text{ cm}^2$	230 (awrt)	2	$\text{M1 : } \frac{1}{2}(25)(35)\sin(\text{their } p)$ <hr/> A1 : correct area of the triangle
18	Height of cone = 4 cm So volume of cone = $\frac{1}{3}\pi(3)^2(4) = 12\pi$ $\Rightarrow \text{volume of cylinder} =$ $= \frac{3}{2} \times 12\pi = 18\pi$ $\text{Volume of sphere} = \frac{4}{3}\pi(2)^3 = \frac{32}{3}\pi$ So volume of shaded region is $18\pi - \frac{32}{3}\pi = \frac{22}{3}\pi$	$\frac{22}{3}\pi$	5	B1 : correct height of the cone, seen or implied <hr/> B1ft: correct volume of the cone, ft their height. If they use 5 as the height, it is B0 B0 <hr/> M1 : correctly uses the ratio on their volume for the cone to find the volume of the cylinder <hr/> M1 : correct volume for the sphere <hr/> A1 : correct exact volume of the shaded region. Isw